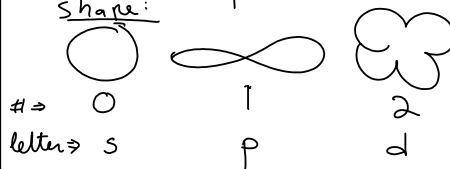


Orbital: - 90% chance to find e^- in this space
 - a number is given to differentiate the shape of space

Shape:



Shape complex

3 s p d f
 letter f Orbitals

Orientation: Orbital has an orientation

0 s \rightarrow sphere - 1 orientation

1 p \rightarrow



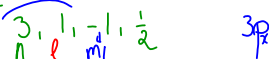
2 "d" -2 -1 0 1 2

3 "f" -3 -2 -1 0 1 2 3

address of an e^- is:



another e^- : orbital name



Shells \rightarrow subshells:

$n=1 \rightarrow 0 (s) \quad 1s$

$n=2 \rightarrow 0 (s) \quad 2s$

$\quad \quad \quad 1 (p) \quad 2p$

$n=3 \rightarrow 0 (s) \quad 3s$

$\quad \quad \quad 1 (p) \quad 3p$

$\quad \quad \quad 2 (d) \quad 3d$

$n=4 \rightarrow 0 (s) \quad 4s$

$\quad \quad \quad 1 (p) \quad 4p$

$\quad \quad \quad 2 (d) \quad 4d$

$\quad \quad \quad 3 (f) \quad 4f$

Can this exist?

$3, 3, -2, \frac{1}{2}$
 $n=3 \rightarrow 0, 1, 2$

orbital name

3f doesn't exist

$2, 1, -2, \frac{1}{2}$
 $n=2 \rightarrow 0, 1, 2$

orbital name

2p

